

MODEL EXPLANATIONS WITH DIFFERENTIAL PRIVACY

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Conduct

From Ethos of MLC...

- https://mlcollective.org/wiki/code-of-conduct/
- Highlights
 - Expectation of Confidentiality
 - Reporting -> send me a direct message

Summary

- Paper 30%
- Discussion 70%

Problem

- Trustworthy Computing
 - Fairness
 - Explainability
 - Privacy & Security
 - Robustness
- Conflicts exist within trustworthy computing
 - This paper focuses on conflicts between **Privacy** and **Explainability**
- How does philosophy / ethics play a part in Trustworthy Al

This is something I'm unsure / still thinking about

Neural Networks

- Neural Networks automatically relate input (e.g., examples) to output
- We learn how inputs are related to a given output through model training
- Different relationships between input and output are compounded in the hidden layers of a model



Explainable AI (XAI)

Explanation methods can be applied at different places in ML lifecycle



- **Goal:** make model behavior more transparent or understandable
- Different XAI methods
 - *"One size fits all" (model-agnostic)*
 - Model specific methods
 - Dimensionality Reduction
- Explanations can explain the Model or Output
- Interpretability v Explainability

The Paper | Big Picture

- Produce Explanations that meet DP constraints
 - Should maintain ε , δ privacy for a set of queries
 - Maintain high explanation quality
- Maintain Privacy budget, ε
 - Keep budget should be as low as possible

LIME | a feature-based technique

Big Idea

- For an example, look at random examples (in red and blue) and identify most important features
- Identify a linear decision boundary
- Explanation should be easily understood



General Info

- Handles text and image classification
- Global explanation can be performed by gathering many local explanations

 $\xi(x) = \underset{g \in G}{\operatorname{argmin}} \ \mathcal{L}(f, g, \pi_x) + \Omega(g)$

LIME



(a) Original Image



(d) Explaining Labrador

The top 3 classes predicted are "Electric Guitar" (p = 0.32), "Acoustic guitar" (p = 0.24) and "Labrador" (p = 0.21)

Differential Privacy

- Can be applied in 3 major areas
 - Towards dataset
 - Towards gradient learning
 - Towards output
- Downsides of Differential Privacy
 - Privacy vs Utility
 - Longer training
 - High privacy spending



Differential Privacy

- ε vs. (ε,δ) differential privacy
- This paper applies DP to gradient calculations (training and explanations)

$$rac{\Pr[\mathcal{A}(D_1)\in S]}{\Pr[\mathcal{A}(D_2)\in S]}\leq e^arepsilon,$$

Epsilon differential privacy

$$\Pr[\mathcal{M}(d) \in S] \le e^{\varepsilon} \Pr[\mathcal{M}(d') \in S] + \delta.$$

Epsilon, delta differential privacy

Differential Privacy



The effect of varying ϵ on explanation quality of Algorithm 1(In Appendix B). The color blue (red) indicates positive (negative) influence. Brighter colors indicate greater influence.

Previous Work

■ QII

- Applies Differential Privacy to black-box explanations
- DP Locally Linear Maps
 - Represent classification using groups of matrices
- Simplifying Neural Networks
 - To a linear combination of logistic regression models

Important Note

- If a model is DP then model explanations affect DP guarantees and information can be leaked
 - Guarantees are dependent on how often information is accessed
- If a model is not DP, then explanations can give an idea of the training data distribution

Methodology | Assumptions

- Any model can be used
- Any linear approximation explanation method can be used
- We can only explain a finite number of explanations
- We have access to the following:
 - Explanations
 - Model Input / output

Paper Contribution

- Adds privacy constraints to model explanations
- Evaluate the effect of differential privacy on explanations
- Terminology
 - Model $f_{\mathcal{D}}: \mathbb{R}^n \to \mathcal{R}$
 - Dataset D
 - Explanation Dataset $X = \{(x_1, f_{\mathcal{D}}(x_1)), \dots, (x_m, f_{\mathcal{D}}(x_m))\}$.
 - Model Explanation $\phi(\vec{z}, X, f_{\mathcal{D}}(X))$ OR
- Prevent possible attack scenario
 - Explanations leak sensitive information $\phi(\vec{z}, X, f_{\mathcal{D}}(X))$

A big motivation of paper

Methodology | Big Picture

- Keep Good Explanation Accuracy
- Maintain DP promises
- Reuse queried information when possible
 - Very important to solution
- Maximize given Privacy budget
 - Use previous queries to set reduce training time
- Just applying DP to Explanations isn't enough. Look for for other potential privacy leaks

Methodology | Explanations

- Reuse explanations when possible
 - A data point must come from an area that's already been explained
 - Reduces privacy spending
- Training and Explanations cost!
 - Choose initialization point wisely
 - Avoid overspending privacy budget

 $\|\nabla \mathcal{L}(\phi^{Priv}(\vec{z}_i), \vec{z}_{h+1})\|.$

Initialization value should result in z_{h+1} giving a similar explanation

Methodology | Building a DP Explainability Metric

- We maintain DP constraints of explanations by controlling how our gradient function grows
 - Apply a sensitivity bound to gradient calculation. Bounds weights
- Model explanations and Explanation
 Dataset should offer no insight on private info

Procedure DPGD-Explain(ϕ, σ, T) :

 $\phi^{\{t\}} \leftarrow \phi$ for t = 1, ..., T - 1 do : $\xi_t \leftarrow \left(\phi^{\{t\}} - \eta(t) \left[\nabla \mathcal{L}(\phi, \vec{z}) + \mathcal{N}(0, \sigma^2 \mathbf{I})\right]\right)$ $\phi^{\{t+1\}} \leftarrow \underset{\phi \in C_{2,1}}{\operatorname{arg min}} \|\phi - \xi_t\|$ Return : ϕ^T

$$\mathcal{F}(c, \vec{z}) := \left\{ \begin{aligned} \alpha(\cdot) &: & \alpha(\cdot) \text{ is non-increasing and} \\ \forall \vec{x} \in \mathbb{R}^n, \alpha(\|\vec{x} - \vec{z}\|) \leq \frac{c}{2\|\vec{x} - \vec{z}\|(\|\vec{x} - \vec{z}\| + 1)} \end{aligned} \right\}$$

Sensitivity bound for gradient calculations

Methodology | Building a DP Explainability Metric

- Compare explanation quality
- Explanations should be *"training data safe"*

 $\mathcal{E}(\phi, \vec{z}, f(X)) \triangleq \mathbb{E}\left[\mathcal{L}(\phi, \vec{z}, f(X))\right] - \mathcal{L}(\phi^*(\vec{z}, f), f(X)).$

 $\Pr[\phi(\vec{z}_i, \mathcal{X}, f_{\mathcal{D}}(\mathcal{X})) : i = 1, \dots, k] \\\leq e^{\tilde{\epsilon}} \cdot \Pr[\phi(\vec{z}_i, \mathcal{X}, f_{\mathcal{D}'}(\mathcal{X})) : \forall i = 1, \dots, k] + \tilde{\delta}, \quad (5)$

- 2 ways to apply Differential Privacy to model explanations:
 - 1. Interactive DP
 - 2. Non-Interactive DP

Interactive Method

 Reuse previous explanations if they can be used to explain a different example

Algorithm 1: Adaptive DP for Model Explanation Input: Queries $\{\vec{z}_1, \ldots\} \in \mathbb{R}^n$ arriving one by one, explanation dataset X, privacy budget (ϵ, δ) , the minimum per-query privacy loss ($\epsilon_{min}, \delta_{min}$), and the number of GD steps T; 1: $\mathcal{H} \leftarrow \emptyset$, ϵ_{spent} , $\delta_{spent} \leftarrow 0$; 2: $\epsilon_{ite} \leftarrow \frac{\epsilon_{min}}{\sqrt{8T \log \frac{2}{\delta_{min}}}};$ // Privacy budget to spend per iteration 3: $\sigma_{min} = \frac{\sqrt{2\log(2.5T/\delta_{min})}}{m \cdot \epsilon_{ite}}$; // Variance needed for Gaussian mechanism 4: $d \leftarrow \frac{\log T}{\sqrt{T}}$; // Distance bound required according to Thm. 4.1 5: for $h = 1, \ldots, \infty$ do $\begin{array}{ll} \text{if } \exists \vec{z}_j \in \mathcal{H} \text{ with } \|\vec{z}_h - \vec{z}_j\| \leq d \ \& \ \mathsf{Flag}(\vec{z}_j) = \top \text{ then} \\ \phi^{Priv}(\vec{z}_h) \leftarrow \phi^{Priv}(\vec{z}_j); & // \ \mathsf{Use \ a \ nearby \ point \ (Thm. \ 4.1)} \\ \textbf{report: } \phi^{Priv}(\vec{z}_h); & // \ \mathsf{Report \ explanation \ of \ } \vec{z}_h \end{array}$ 6: 7: 8: \mathcal{H} .append $(\vec{z}_h : \phi^{Priv}(\vec{z}_h), Flag(\vec{z}_h) = \bot)$ 9: else 10: $\phi^{best}, \sigma, T' \leftarrow \text{Parameters-DPGD}(\vec{z}_h, \mathcal{H},$ 11: $\epsilon_{ite}, \sigma_{min}, X, T);$ $\phi^{Priv}(\vec{z}_h) \leftarrow \text{DPGD-Explain}(\phi^{best}, \sigma, T');$ 12: Update $\epsilon_{spent}, \delta_{spent};$ 13: // via the Strong Composition Theorem if $\epsilon_{spent} > \epsilon$ or $\delta_{spent} \ge \delta$ then 14: break; 15: // Privacy budget is exhausted end 16: report: $\phi^{Priv}(\vec{z}_h)$; 17: \mathcal{H} .append $(\vec{z}_h : \phi^{Priv}(\vec{z}_h), Flag(\vec{z}_h) = T);$ 18: 19: end 20: end

- Reuse explanations for previous points
 - Possible only if in a subregion that is well explained
- Apply DP to explanation

Algorithm 2: Adaptive DP for Parameter Selection Input: $\vec{z}_h \in \mathbb{R}^n$, explanation dataset X, History \mathcal{H} , privacy spending for parameter selection ϵ_{para} , and the number of GD steps T, minimum variance σ_{min} ; **Output:** Input variables for DPGD-Explain() for the query \vec{z}_h ; 1: Procedure Parameters-DPGD($\vec{z}_h, \mathcal{H}, \epsilon_{para}, \sigma_{min}, X, T$) if $\mathcal{H} == \emptyset$ then 2: Arbitrary $\phi \in C_{2,1}$; 3: return ϕ , σ_{min} , T; 4: 5: else $\phi^{best} \leftarrow \phi^{Priv}(\vec{z}_i)$ with 6: $\Pr \propto \textit{exp}\Big(-m \cdot \epsilon_{\textit{para}} \cdot \frac{\|\nabla \mathcal{L}(\phi^{\textit{Priv}}(\vec{z}_j), \vec{z}_h)\|}{2}\Big) \text{ for } \vec{z}_j \in \mathcal{H}$ $\beta \leftarrow \|\nabla \mathcal{L}(\phi^{best}, \vec{z}_h)\|;$ 7: $\sigma \leftarrow \max\left(\frac{\beta}{\sqrt{n}}, \sigma_{\min}\right);$ 8: $\log \frac{1}{\sqrt{n}\sigma}$ $a \leftarrow \frac{1}{\log \log T};$ 9: // Thm. 4.2 if $a > \frac{1}{2}$ then 10: $T' \leftarrow (\sqrt{n}\sigma)^{1-\frac{1}{2a}}T;$ 11: 12: else $T' \leftarrow T;$ 13: end 14: end 15: return $\phi^{best}, \sigma, T';$ 16:

Results

Table 1: Summary of mean ± Variance of loss in utility for each dataset for explanation generated by Algorithm 1 (Theorem B.1).

3 Datasets	Da
– Face (Image)	Fac

- Good v Bad Movie _ Recommendations (Text)
- ACS13 (Tabular / — Categorical)

Dataset	$\epsilon=0.01, \delta=10^{-6}$	$\epsilon=0.1, \delta=10^{-6}$
Face	$1.4 \times 10^{-2} \pm 4.3 \times 10^{-3}$	$2.2 \times 10^{-3} \pm 2.1 \times 10^{-4}$
Text	$2.7 \times 10^{-3} \pm 7.8 \times 10^{-4}$	$4.3 \times 10^{-4} \pm 9.4 \times 10^{-6}$
ACS13	$5.7 \times 10^{-3} \pm 1.3 \times 10^{-3}$	$2.6 \times 10^{-4} \pm 6.3 \times 10^{-5}$



Stringent privacy constraints harm explanations

Results

- 1. Privacy Budget spending per explanation improves over time
- 2. Differential Privacy can make explaining some regions in a class hard
 - 1. Randomized noise hurts explanation fidelity

Future Work (Authors)

- Build privacy-preserving, interpretable models
 - Understand how DP affects other XAI methods
- Highlight tradeoffs between privacy and XAI
 - Explanation accuracy is lower in DP models
- Compare other privacy methods and XAI
- Assess Privacy and XAI tradeoffs for minority groups

Thoughts

- Paper is written from the viewpoint "Explanations are dangerous"
- What do domain specific explanation look like under DP?
- General: how do you go about making proofs for this?
 - Do you observe behavior for a few instances?
- I like that they give guidance on how to handle privacy / explanation utility tradeoff (e.g., how to choose privacy level)
- Do you trust the explanations given especially when noise has been added?
- Not a good choice for very big datasets (privacy will be less stringent)
- What are your thoughts?